

# **Discussion of “Target risk strategies for asset allocation and factor investing”, Presented by Raul Leote de Carvalho**

Charles-Albert Lehalle

Capital Fund Management (Paris) and Imperial College (London)

AFG Agora – May 17, 2016

① Positionning of The Paper

② Main Findings

③ Towards Factor Investing

④ Conclusion

This paper relies on [Perchet et al., 2016] and [Perchet et al., 2014], it deals with **Controlling of the ex-post volatility of a portfolio**.

- ▶ It exposes clearly a framework to implement and backtest such **Target Volatility Strategies** ;
- ▶ It is largely **model-driven** and relies on **Monte-Carlo Simulations** when it is about in depth investigations;
- ▶ And uses **historical data** to comfort obtained conclusions.

Moreover, it explores the added-value of **Factor-Driven Model of Risk**, across different asset classes (Equities, Commodities, FX, Bonds).

Adjust future volatility of the portfolio thanks to a repartition of allocation between the risky asset and cash, using today information

- ▶ Potential gain stems from any **relationship between returns and risks** of the underlying assets;
- ▶ If returns are independent from anything else you can nevertheless gain on any **risk-driven measure** (like the Sharpe Ratio);
- ▶ Gains can be lost if you **ex-ante estimates** are not good enough.  
Mainly if the volatility you estimate today (and uses into your optimization) is not close enough to the realized one tomorrow.

Authors go through a collection of modelled effects:

- ▶ Constant **expected returns** (for simulations), or two regimes of expected returns (for historical data);
- ▶ Volatility clustering (their  $\alpha$  parameter) and **volatility** persistence (their  $\beta$  parameter);  $\alpha + \beta \simeq 100\%$ ;
- ▶ Gaussian or Fat Tails for the **innovations** (not predictable part of the returns) and / or **negative correlation** between returns and volatility (intense returns linked to low volatility –GJR-Garch–; this is not the *low-volatility anomaly* [Ciliberti et al., 2015]; nor an increase of correlations of assets during market crashes).

As expected controlling the volatility has an impact on risk-driven measures, like the **Sharpe Ratio** (you try to decrease its denominator).

Nevertheless you face a **Frequency Issue**: if the volatility changes each year and you use the yearly volatility to allocate for next year... You will never do what you think.

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I have a technical reserve about SR for regime switching contexts, they do not average or change scale easily, cf. [Lo, 2002].

When you try to control a quantity ex-ante (here the volatility), It is better to **have good estimates**.

- ▶ On presented Tables, results seem to improve (rebalancing frequency?);
- ▶ Forecasting volatility is of paramount importance: remember **volatility is rough** [Gatheral et al., 2014]. As a rule of thumb: *to predict volatility for the next year, you need to use one past year of data.*
- ▶ Authors choose to model assets using a **Markov chain regime switching model** with two regimes. What if you use only one regime?

Remarks:

- ▶ The ex-post volatility seems to be always larger than the ex-ante target. It is the *curse of over-estimating future risks* explored for multi-dimensional portfolios? cf. [Laloux et al., 1999].
- ▶ In any case, if it is about running a numerical optimization, I would recommend to **target a quantile of volatility** (i.e. a maximum of volatility), and not an average.

Authors compare the target volatility portfolios **across asset classes** and note **it works better with risky assets**.

Moreover, they use a **Factor Decomposition** of each asset class (Momentum vs. Values) to control the risk on each factor

- ▶ Reminder: Factors have a (good) mix of risk–return (compared to Sectors, for instance, cf. [Briere and Szafarz, 2015]);
- ▶ It is on the path to **Risk Budgeting** : You allocate a risk budget per factor, cf. [Roncalli, 2014];

It is always difficult to organize a dialog between models, data and simulations:

- ▶ **Simulations**, i.e. on “fake data”, generated by Monte-Carlo (MC) simulations according to the stated model, are good to check you are going into the wanted directions.
- ▶ **Backtests**, i.e. on historical data (less data than for MC simulations) are very important to account for effects that are not in the model (mainly the i.i.d. assumptions).
- ▶ **Stress-tests** are very interesting too: what about the **robustness of your methodology** to other modelling assumptions (use MC generated by other models)?, or what about looking at other metrics?

## As a Conclusion to This Very Interesting Paper

- ▶ **Ex-ante risk control** is important and useful, hence I like a lot this Target Volatility Strategy;
- ▶ Especially for **metrics involving risk** ;
- ▶ And more when returns and risks are correlated a nice way (for instance volatility increases if returns are down), but you need to react at the proper speed.
- ▶ **Factors are good candidates** to drive such risk control methodology (remember Richard Roll call them “risk drivers” [Pukthuanthong and Roll, 2014]);
- ▶ **Rebalancing frequency is not a detail** ; it has to dialog well with your estimates (volatility if rough), and with the rhythm of the relationship between returns and risk.

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